

邊界元素法1999 第八次作業

1. In the course, we derive the fundamental solution for the second order ODE

$$\frac{d^2 u(x)}{dx^2} = \delta(x - s), \quad -\infty < x < \infty \quad (1)$$

by using the Hadamard principal value in complex plane.

For the homework, what happens if the second order ODE is changed to the fourth order ODEs as follows:

$$\frac{d^4 u(x)}{dx^4} = \delta(x - s), \quad -\infty < x < \infty \quad (2)$$

Also, please solve the fundamental solution by using the Hadamard principal value in the complex plane.

2. Summary: methods for solving fundamental solution

- (1). subsection method
- (2). Variations of parameters — Wronskian
- (3). Limiting process for Dirac-Delta function: normal distribution
- (4). transform methods by introducing a small term(single pole of residue)
- (5). transform methods directly (higher pole of residue) — extended residue theorem.
(HPV in the complex domain)