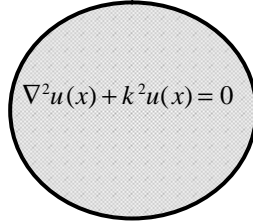
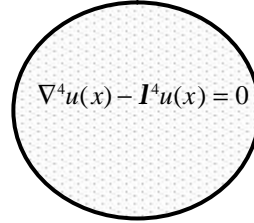


## 程式 67 CHEEF technique for meshless method



Membrane



Plate

### For membrane or acoustic eigenproblem

Single-layer potential approach	Double-layer potential approach
$u(x) = \sum U(s, x) \mathbf{f}(s)$ $t(x) = \sum L(s, x) \mathbf{f}(s)$	$u(x) = \sum T(s, x) \mathbf{y}(s)$ $t(x) = \sum M(s, x) \mathbf{y}(s)$
CHEEF constraints ? Null-field integral equation ?	

### For plate eigenproblem

$$u(x_i) = \sum P(s_j, x_i) p_j + \sum Q(s_j, x_i) q_j,$$

where four kernels ( $U$ ,  $\Theta$ ,  $M$  and  $V$ ) can be chosen as  $P$  and  $Q$ , respectively.

$$U(s, x) = \text{Im} \left\{ -\frac{i}{8I^2} \{ H_0^{(1)}(I r) - H_0^{(1)}(i I r) \} \right\},$$

$$\Theta(s, x) = K_q(U(s, x)), \text{ where } K_q(\cdot) = \frac{\partial(\cdot)}{\partial n},$$

$$M(s, x) = K_m(U(s, x)), \text{ where } K_m(\cdot) = \mathbf{n} \nabla^2(\cdot) + (1 - \mathbf{n}) \frac{\partial^2(\cdot)}{\partial n^2},$$

$$V(s, x) = K_v(U(s, x)), \text{ where } K_v(\cdot) = \frac{\partial \nabla^2(\cdot)}{\partial n} + (1 - \mathbf{n}) \frac{\partial}{\partial t} \left[ \frac{\partial^2(\cdot)}{\partial n \partial t} \right],$$

**Boundary condition:**  $\mathbf{q}(x) = K_q(u(x))$ ,  $\mathbf{m}(x) = K_m(u(x))$  and  $\mathbf{v}(x) = K_v(u(x))$

### References

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3. I. L. Chen, J. T. Chen, S. R. Kuo and M. T. Liang, A new method for true and spurious eigensolutions of arbitrary cavities using the combined Helmholtz exterior integral equation formulation method, Journal of Acoustical Society of America, Vol.109, No.3, pp.982-998, 2001.