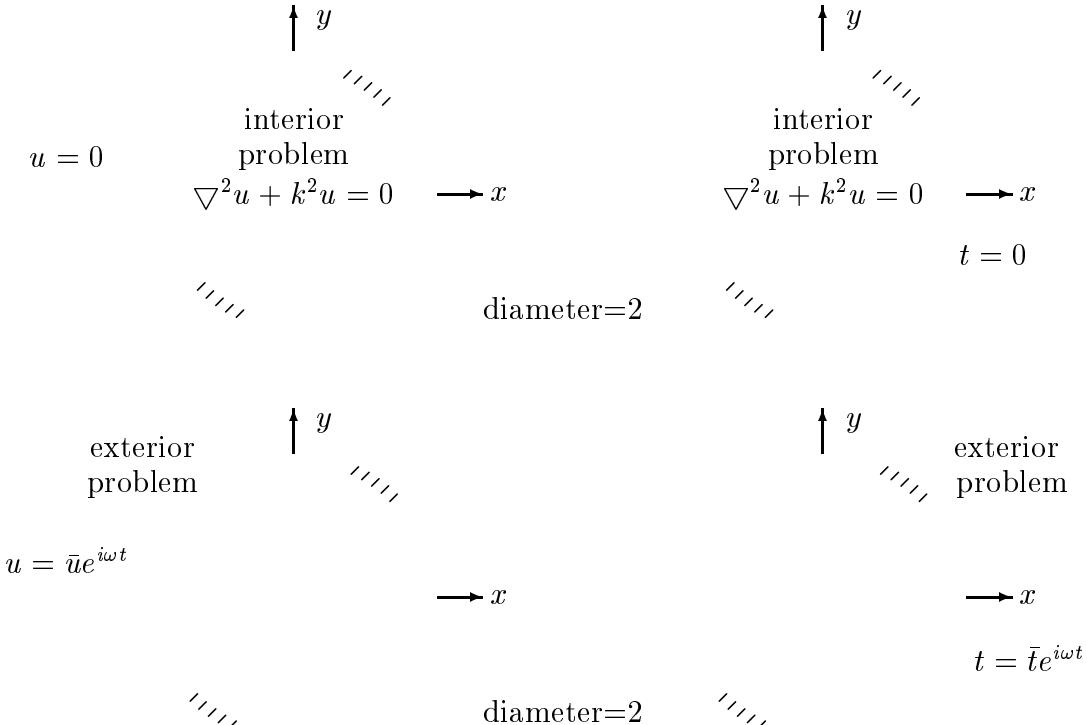


程式 11 Dual BEM for acoustic problems



- Exact solution for interior problem: $u(r, \theta) = J_n(k_{nm})e^{\pm n\theta}$ where $J_n(k_{nm}a) = 0$.
- (1). Interior problem with the homogeneous Dirichlet boundary condition $u(a, \theta) = 0$
Plot $\det[U(k)]$ versus k and lot $\det[\bar{L}(k)]$ versus k
Exact solution for interior problem: $u(r, \theta) = J_n(k_{nm})e^{\pm n\theta}$ where $J'_n(k_{nm}a) = 0$
 - (2). Interior problem with the homogeneous Neumann boundary condition $t(a, \theta) = 0$
Plot $\det[\bar{T}(k)]$ versus k and plot $\det[M(k)]$ versus k
Exact solution for exterior problem: $u(r, \theta) = \frac{H_n^{(1)}(kr)}{H_n^{(1)}(ka)} \cos(n\theta)$
 - (3). Exterior problem with the nonhomogeneous Dirichelet boundary condition $u(a, \theta) = \cos(n\theta)$
Plot $\det[U(k)]$ versus k
Plot $\det\{-\bar{L}(k)\} + 2\pi[I]$ versus k
Plot $u_r(5, 0)$ versus k and plot $u_i(5, 0)$ versus k .
Exact solution for exterior problem: $u(r, \theta) = \frac{H_n^{(1)}(kr)}{H_n^{(1)}(ka)} \cos(n\theta)$
 - (4). Exterior problem with the nonhomogeneous Neumann boundary condition $t(a, \theta) = \frac{k H_n^{(1)'}(ka)}{H_n^{(1)}(ka)} \cos(n\theta)$
Plot $\det\{-\bar{T}(k)\} + 2\pi[I]$ versus k and plot $\det[M(k)]$ versus k
Plot $u_r(5, 0)$ versus k and plot $u_i(5, 0)$ versus k .

References

- [1] J. T. Chen, K. H. Chen, I. L. Chen and L. W. Liu, 2003, A new concept of modal participation factor for numerical instability in the dual BEM for exterior acoustics, Mechanics Research Communications, Vol.26, No.2, pp.161-174. (SCI and EI)