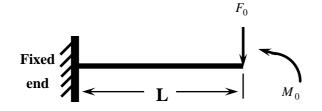
第8次作業討論會 Nov. 24/04 程研究所 BEM2004



Governing equation:

$$\frac{d^4 u(x)}{dx^4} = 0, \, 0 < x < L$$

Boundary conditions:

$$u(0) = 0, \theta(0) = 0$$

 $m(L) = M_0, v(L) = F_0$

Direct method

$$u(x) = \left\{ -U(s,x)v(s) + \Theta(s,x)m(s) - M(s,x)\theta(s) + V(s,x)u(s) \right\} \Big|_{s=0}^{s=1}$$

Indirect method

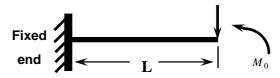
Based on the indirect formulation, the displacement field can be represented by

$$u(x) = \sum_{j=1}^{2} P(s_{j}, x) \phi_{j} + \sum_{j=1}^{2} Q(s_{j}, x) \psi_{j}.$$

The two kernels P and Q are obtained from either the two combinations of the kernels U(s,x), $\Theta(s,x)$, M(s,x) and V(s,x).

Choosing P and Q	Group
14:10-14:25 <i>U</i> , ⊙	吳安傑、錢榮芳、李文愷、周家慶
14:25-14:40 <i>U</i> , <i>M</i>	陳柏源、袁倫欽、莊士璿
14:40-14:55 <i>U</i> , <i>V</i>	高政宏、陳永為、黄家鴻
14:55-15:10 ⊕, <i>M</i>	洪啟哲、王錦楨、吳尚津
15:10-15:25 ⊙,V	張文夏、何易霖、張致文
15:25-15:40 M,V	楊秉璋、潘志鴻、陳柏帆

- (1) Solve the exact solution of cantilever case subject to the end moment and shear.
- (2) Solve the problem by the indirect BEM.



(3) Detect the rank of [A] matrix where

$$\begin{bmatrix} & A & \end{bmatrix} \begin{pmatrix} \phi_1 \\ \phi_2 \\ \psi_1 \\ \psi_2 \end{pmatrix} = \begin{pmatrix} 0 \\ 0 \\ F_0 \\ M_0 \end{pmatrix}.$$

Note: prepare the powerpoint file

Discuss the different distributions of singularity